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Patenting in the Shadow of Independent Discoveries by Rivals

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Abstract. This paper studies the decision of whether to patent in a dynamic model where ...rms innovate stochastically and independently. In the model, a ...rm can choose between patenting and maintaining secrecy to protect a successful innovation. Patenting grants probabilistic protection while secrecy is exective until rivals innovate. We show that (1) ...rms that innovate early are more inclined to choose secrecy whereas ...rms that innovate late have a stronger tendency to patent; (2) the incentives to patent increase with the innovation arrival rate; and (3) an increase in the number of ...rms may cause patenting to occur earlier or later, depending on the strength of patent protection. The socially optimal level of patent protection balances the trade-ox between the provision of patenting incentive and the avoidance of unnecessary monopoly. We ...nd that the socially optimal level of patent protection should be lower if the innovation arrival rate is higher or the number of ..rms is larger.

Key words: Patenting decisions; Patents; Secrecy; Independent discoveries.

JEL Classi...cation: O31, O34

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1 Introduction

An important strategic decision for a ..rm is how to protect innovations. The ..rm can apply for patent protection or keep an innovation in secret use. Evidences show that ..rms often make heterogeneous choices on whether to patent their innovations. In fact, only a small proportion of innovations are patented (Scherer, 1965; Pakes and Griliches, 1980; Mans..eld, 1986). Moreover, secrecy is viewed as an increasingly important strategy for appropriating innovations (Levin et al., 1987; Cohen et al., 2000). One question that naturally arises is why some ..rms choose patents while others adopt secrecy to protect innovations. Moreover, given ..rms' strategies on whether to patent, what is the socially optimal level of patent protection?

This paper attempts to address these questions. Our analysis is motivated by several observed features concerning innovations and patenting. First, in many situations, multiple ...rms are capable of independently coming up with identical or similar innovations. As discussed in Varian et al. (2005) and Shapiro (2007), this can happen because innovation ..rms often share common knowledge bases or ...nd research paths restricted by universal standards. Second, patent protection is probabilistic. Many patent applications are not approved,¹ and as emphasized in Choi (1998) and Lemley and Shapiro (2005), even issued patents can be ruled invalid through litigation.² Because of the requirement for full disclosure of innovation information during patenting process, the revealed information, under imperfect patent protection, may be utilized to the bene...t of rival ..rms. Third, a ..rm that keeps an innovation secreta. Va.927k11(o)16(t)-313(711(a)10(83o)-310(t)8(h)1f17(w)15(i)7(n)11(g)69d[(a)11(n)11(o)11(t)h(d)

...rms stochastically and sequentially discover a technology that is critical to a cost-reduction process or to the development of a new product. Firms that have discovered the technology are referred to as innovators. When a discovery occurs, the innovator decides whether to seek patent protection or to rely on secrecy. We assume patent protection is probabilistic in that it is exective only with some probability. Moreover, we consider a legal environment

2 The Model

Consider an industry with a ..xed number, , of ex-ante identical ..rms. The ..rms are about to discover a technology that is crucial to a cost-reduction process or to the development of a new product. The discovery process for each ..rm is independent and identical, and is determined by a Poisson process with an exogenous arrival rate ... Our reason for focusing on an exogenous innovation process is threefold. First, in a number of situations, a creative idea is essential for an innovation to occur. Once an idea arrives, it can be turned into an innovation with negligible costs. In addition, ideas are likely to arrive in a stochastic fashion. Thus, our model ..ts into certain innovation environments. Second, the primary objective of this paper is to understand how ..rms make patenting decisions. Abstracting from investment choices allows us to disentangle the trade-ox in patenting decision in a more transparent way. Third, as we will discuss in section 5, the assumption of exogenous innovation process serves the purpose of separating the function of patents to induce innovation information disclosure from the function to provide ex-ante innovation incentives.

When a discovery occurs, the ..rm decides whether to patent the technology or to maintain it as secret. To capture the fact that patent protection is probabilistic, we follow Kultti, Takalo and Toikka (2007) and assume that, with probability—an innovator who applies for patent protection is granted an in...nitely lived, perfectly exective property right on the technology; and with probability 1—, patent protection is inexective, under which the technology becomes public and other ..rms can access to it. To simplify analysis, we normalize costs associated with patenting to zero. By adopting secrecy, an innovator can use the technology until another innovator successfully obtains exective patent protection. To focus on the exect of multiple innovation discoveries, we assume that the technology information would not leak out if it is kept in secret use. 11

Firms earn pro...ts in a product market. We do not rely on a speci...c form of competition. Rather, we assume a general form of pro...t function that depends only on the number of producing ..rms. In particular, let i be the instantaneous pro...t for each ..rm when

possible scenarios may appear, each of which determines the number of producing ..rms and their pro...ts: (1) if patent protection is exective, the patentee earns—and others earn no pro...t; (2) if patent protection is inexective, all ..rms produce and each earns— $_n$; (3) if—..rms discover the technology and all opt for secrecy, each of these—..rms earns— $_i$ and others earn zero pro...t.

We abstract from any issues of asymmetric information and assume whether a ..rm has discovered the technology is common knowledge. The timing of the model is shown in Figure 1. Since ..rms are ex-ante identical, without loss of generality, we index ..rms by their ranks in discovery. Let innovator (or ..rm) be the ..rm that discovers the technology where \in and $= \{1 \ 2 \cdots \}$. Time is continuous. Period is referred to as the time period that begins when innovator discovers the technology, and ends when innovator + 1 discovers the technology. At the beginning of period , innovator decides whether to patent if no patent has been granted previously. If innovator chooses to patent, nature will determine if the patent protection is exective. Alternatively, innovator can keep the technology as secrecy. In such a case, the model moves on to period + 1 in which innovator + 1 discovers the technology and decides whether to patent.



1: Timing of the game

The model speci..es an -period dynamic game. Thus6ynr4h innovatoamd1(m)bn wwhlt(i)6(v)11(t0(s)

perfect Nash equilibrium (SPNE). Given no previous patent has been granted, an innovator, taking into account the optimal strategies of subsequent innovators, chooses between patenting and secrecy to maximize expected pro...t. In equilibrium, innovators' patenting decisions map from into { } where and stand for patenting and secrecy respectively.

3 Equilibrium Analysis

In deciding whether to patent, a ..rm compares the expected pro...ts from the strategies of patenting and secrecy. Since innovator decides whether to patent at the beginning of period the future pro...t streams should be discounted as present values to that point. Here, we derive some preliminary results that are useful throughout the paper.

3.1 Preliminaries

(I) First, we calculate the present value for innovator if she receives a stream of pro...t through the entire period . Let $_j$ denote the time length of period . Note that $_j$ is distributed as a Poisson process with industry arrival rate () = ($_-$) 13 Thus, it has probability density function $^{\mathsf{T}}$. For a pro...t stream through the entire period the present value of such a pro...t stream with a ..xed time length is

$$Z_T$$
 $rt = \frac{1 - rT}{r}$

Thus, the present value of the pro...t stream with a random time length j is:

$$Z_{1} Z_{T} (r^{t})(-) ^{n j T} j$$

$$= \frac{Z_{1}}{T_{1}} \frac{1 - r^{T}}{T_{2}} (-) ^{n j T} j$$

$$= \frac{1}{T_{2}} \frac{1 - r^{T}}{T_{2}} = \frac{1}{T_{2}} n j$$
(1)

where _{n j} is de...ned as

$$_{n j} = \frac{\phantom{_{1}}}{\phantom{_{1}}}$$

with a ..xed time length is r^T . Thus, the present value of the instantaneous pro...t with a random time length i is

$$Z_{1}$$
 $r^{T}(-)^{n j T}_{j}$

$$= \frac{(-)}{+(-)} = (1 - n j).$$
(3)

(III) Third, from (1) and (3), we can show that if innovator receives a stream of pro...t in period () the present value of the pro...t stream is

$$\frac{1}{-n} {n \choose 1} {n \choose n} {n \choose n} {n \choose n} {n \choose n} \cdots {n \choose 1} {n \choose n} {n \choose j} . \tag{4}$$

To see (4), note that, by (1), the present value at the beginning of period for a stream of pro...t in period is $_{\bar{r}}$ $_{n}$ $_{h}$. By (3), multiplying $_{\bar{r}}$ $_{n}$ $_{h}$ by (1 $_{n}$ $_{n}$) gives the present value at the beginning of period $_{-}$ 1

According to Lemma 1, conditional on that the next innovator chooses to patent, a later

patent. In addition, since \leq m it follows that innovator -1 chooses secrecy over patenting. By Lemma 2, it is straightforward to show innovator () opts for secrecy.

Proposition 1 provides a simple characterization of the equilibrium. Depending on the strength of patent protection, the innovation arrival rate, market structure and the timing of discovery, ...rms may choose diæerent means to protect innovations. Two scenarios may occur in equilibrium. First, the ..rst innovator chooses to patent. Second, it is possible that ...rms that innovate early opt for secrecy while only a su¢ ciently late innovator chooses to patent.

The following example illustrates Proposition 1.

Example 1 Let = 3 = 0.1 = 0.2 Moreover, we assume linear market demand,

= - and the state of th

and previous innovators (if any) opt for secrecy. De..ne () as the proportion of ..rms that adopt secrecy:

$$() = \frac{ () -1}{ }$$
 (11)

Since the industry innovation arrival rate during period $\,$ is ($\,$) $\,$ the expected length of period $\,$ is

$$_{i}\left(\right) =\frac{1}{\left(\right. -\left. \right)}$$

De..ne () as the expected time when patenting occurs:

We ..rst show the exect of a change in the level of patent protection

Proposition 3 (), () and () decrease with .

The intuition is straightforward. Strengthening patent protection directly increases the pro...t from patenting. At the same time, it reduces the pro...t from secrecy because subsequent innovators have greater chances of obtaining exective patent protection. Therefore, a higher encourages ..rms to choose patenting and thus, advances the timing of patenting.

We next study the exect of a change in the innovation arrival rate

Proposition 4 () () and () decrease with .

An increase in the innovation arrival rate does not a mect ...rms' pro...ts from patenting. However, it shortens the length during which an innovator enjoys pro...t from secrecy because the discoveries by rival ...rms arrive more quickly. Thus, pro...t from secrecy decreases with . As a result, innovators have more incentive to patent and thus, patenting occurs earlier.

The result that ..rms prefer patenting under a larger may help explain why ..rms in hitech industries ..nd patenting attractive in spite of relatively weak industry patent protection. This is because independent discoveries are likely to happen frequently in hitech industries. Expecting that rivals will discover the technology soon, ..rms ..nd secrecy protection has little value and, as a consequence, choose to patent even if the patent protection is weak.

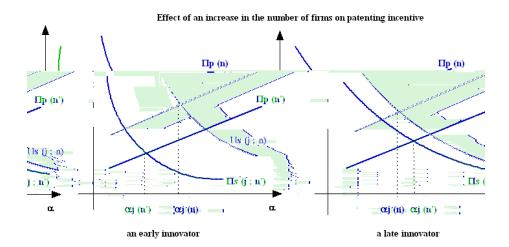
$$^{\sim}() = \frac{1}{-1} \frac{1-}{1} \frac{-n}{1}$$
 (13)

When ~ by (9) and (2),

$$= \frac{\frac{-n}{-n}}{\frac{-n}{-n}} = \frac{(-n)}{(-1)} + (-n)}$$

$$\frac{(-n)}{(-1)}$$

patents in equilibrium. Since a higher number of ..rms increases the patenting incentive of early innovators, it causes patenting to occur earlier. When patent protection is weak, a late innovator patents in equilibrium. In this case, an increase in the number of ..rms lowers the late innovator's incentive to patent which delays the timing of patenting.



. As a result, total social welfare decreases. This leads to the following lemma.

Lemma 3

jointly determined. Another direction for future research would be to examine how ...rms' patenting decisions depend on the nature of innovations and market structure in the framework of cumulative innovation.¹⁵ Finally, it would be interesting to extend our model to

Proof of Lemma 2

Proof. Since the game in the model assumes complete information, all ..rms correctly expect the strategies of subsequent ..rms. Suppose it is expected that ..rm (+ 1) will patent when she discovers the technology. By (6), the expected pro...t associated with secrecy for ..rm is

$$s(\ |\) = \sum_{i = j}^{N} \frac{1}{n_{i}} (1 - n_{i}) \cdots (1 - n_{j})_{i} + \frac{1}{n_{i}} (1 - n_{i}) \cdots (1 - n_{j}) (1 - n_{i})_{i}$$

and the expected pro...t from secrecy for ..rm + 1 is

$$s(+1|) = \begin{cases} X & 1 \\ -n & i \end{cases} (1-n & i \end{cases}) \cdots (1-n & j \end{cases} i + \frac{1}{2}(1-n & i \end{cases}) \cdots (1-n & j \end{cases}) (1-1) = 0$$

To compare s(||) and s(|+1||) we de..ne two auxiliary variables:

$$_{i} = \frac{1}{n} _{i} (1 - _{n i}) \cdots (1 - _{n j})$$
 and $_{i} = \frac{1}{n} _{i} (1 - _{n i}) \cdots (1 - _{n j})$

The expected pro...ts from secrecy for ..rm and ..rm + 1 become respectively

and

Note that

Similarly, we have

Substituting (18) into $\ _{s}(\ |\)$ and (19) into $\ _{s}(\ +\ 1|\)$ and taking dixerence give

The last inequality holds because $P_{i \ j}^h = P_{i \ j$

Finally, given that ..rm + 1 optimally opts for secrecy, we have $_s($ + 1|) $_p$ It follows that $_s($ |) $_p$ That 0.F1911.955Tf426f4.4141.793i11(t)-31955Tf68.9840Td[(j)]TJ/Fat

To see this, we take the dixerence of $_{j}$ () and $_{j}$ (+ 1) By (9),

$$_{j}$$
 () - $_{j}$ (+ 1) = $\frac{(_{j} - _{n}) - _{-} - _{n} - (_{j} - _{n}) - _{-} - _{n}}{- _{-} - _{n}}$

Clearly, the denominator of the right hand side of the equation is postive since $_{n j} = 1$ Substituting (2) into the numerator of right-hand side of the equation and rearranging terms, we have

$$[j(n)-j(n+1)] = [(j-n)-(n-1)(n-n)] - (n-j)(n-n)$$

De..ne $_{j}$ as in (20). If $_{j}$ [($_{j}$ - $_{n}$) - (-) ($_{n}$ - $_{n}$)] $_{\overline{r}}$ - (- $_{j}$) ($_{n}$ - $_{n}$) 0 which implies $_{j}$ () $_{j}$ (+ 1) If $_{j}$ we have [($_{j}$ - $_{n}$) - (-) ($_{n}$ - $_{n}$)] $_{\overline{r}}$ - (- $_{j}$) ($_{n}$ - $_{n}$) 0 which implies $_{j}$ () $_{j}$ (+ 1)

Step 2: We show that i increases with

It is straightforward to show that = 0 To see $\{i\}$ increases in note that

where $= \frac{r}{n \ j} \frac{n \ j}{n \ j}$ 0 Thus,

However, j-n-(j-n)=j-j-(n-n) 0 and $(j-n)=j-j+j-j+\cdots+n-n$ 0. Therefore, (j-j) 0. That is, $\{j\}$ increases in

Proof of Lemma 3

Proof. Suppose that ' but they lead to same equilibrium . By (14),

$$() - () = \frac{1}{1} (1 - n m) (1 - n m) \cdots (1 - n) [+ (1 -) n]$$

$$- \frac{1}{1} (1 - n m) (1 - n m) \cdots (1 - n) [^{n} + (1 - ^{n}) n]$$

$$= \frac{1}{1} (1 - n m) (1 - n m) \cdots (1 - n) (-^{n}) (-^{n}) 0$$

Therefore, total social welfare can be increased by reducing ^ to . •

Proof of Proposition 6

Proof. From Proposition 1, ..rm 1 patents when . When = , we have

$$() = \frac{1}{-}[+ (1 -)_{n}]$$

Next consider = j, 1. Note that $\cdots n$ thus, + (1 - n) n

By (2) and 0 $_n$ 1, = $\frac{}{}$ = $\frac{}{}$ $_n$ Therefore, () ($_j$) for 1 This completes the proof. \blacksquare

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